

Full Name:.....

Datorarkitektur, 2006

Test Exam 2

2006-02-28

Instructions:

- Make sure that your exam is not missing any sheets, then write your full name on the front.
- Write your answers in the space provided below the problem. If you make a mess, clearly indicate your final answer.
- The exam has a maximum score of 60 points.
- The approximate limits for grades on this exam are:
 - To pass (G or 3): 30 points.
 - For grade 4: 43 points.
 - For grade VG: 50 points.
 - For grade 5: 55 points.
- The problems are of varying difficulty. The point value of each problem is indicated. Pile up the easy points quickly and then come back to the harder problems.
- This exam is OPEN BOOK. You may use any books or notes you like. Good luck!

Problem 1. (6 points):

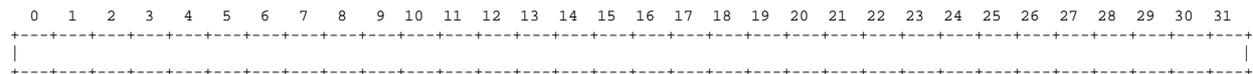
Consider the following datatype definitions on an SPARC machine.

```
typedef struct {
    char c;
    double *p;
    int i;
    double d;
    short s;
} struct1;

typedef union {
    char c;
    double *p;
    int i;
    double d;
    short s;
} union1;
```

A. Using the template below (allowing a maximum of 32 bytes), indicate the allocation of data for a structure of type `struct1`. Mark off and label the areas for each individual element (there are 5 of them). Cross hatch the parts that are allocated, but not used (to satisfy alignment).

Assume the alignment rules discussed in lecture: data types of size x must be aligned on x -byte boundaries. **Clearly indicate the right hand boundary of the data structure with a vertical line.**



- B. How many bytes are allocated for an object of type `struct1`?

- C. What alignment is required for an object of type `struct1`? (If an object must be aligned on an x -byte boundary, then your answer should be x .)

- D. If we define the fields of `struct1` in a different order, we can reduce the number of bytes wasted by each variable of type `struct1`. What is the number of **unused, allocated** bytes in the best case?

- E. How many bytes are allocated for an object of type `union1`?

- F. What alignment is required for an object of type `union1`? (If an object must be aligned on an x -byte boundary, then your answer should be x .)

Problem 2. (12 points):

In the following questions assume the variables a and b are signed integers and that the machine uses two's complement representation. Also assume that MAX_INT is the maximum integer, MIN_INT is the minimum integer, and W is one less than the word length (e.g., $W = 31$ for 32-bit integers).

Match each of the descriptions on the left with a line of code on the right (write in the letter). You will be given 2 points for each correct match.

1. One's complement of a

2. a .

3. $a \& b$.

4. $a * 7$.

5. $a / 4$.

6. $(a < 0) ? 1 : -1$.

a. $\sim(\sim a \mid (b \wedge (\text{MIN_INT} + \text{MAX_INT})))$

b. $((a \wedge b) \& \sim b) \mid (\sim(a \wedge b) \& b)$

c. $1 + (a \ll 3) + \sim a$

d. $(a \ll 4) + (a \ll 2) + (a \ll 1)$

e. $((a < 0) ? (a + 3) : a) \gg 2$

f. $a \wedge (\text{MIN_INT} + \text{MAX_INT})$

g. $\sim((a \mid (\sim a + 1)) \gg W) \& 1$

h. $\sim((a \gg W) \ll 1)$

i. $a \gg 2$

Problem 3. (12 points):

Consider the following 8-bit floating point representation based on the IEEE floating point format:

- There is a sign bit in the most significant bit.
- The next 3 bits are the exponent. The exponent bias is $2^{3-1} - 1 = 3$.
- The last 4 bits are the fraction.
- The representation encodes numbers of the form: $V = (-1)^s \times M \times 2^E$, where M is the significand and E is the biased exponent.

The rules are like those in the IEEE standard(normalized, denormalized, representation of 0, infinity, and NAN). FILL in the table below. Here are the instructions for each field:

- **Binary:** The 8 bit binary representation.
- **M:** The value of the significand. This should be a number of the form x or $\frac{x}{y}$, where x is an integer, and y is an integral power of 2. Examples include 0, $\frac{3}{4}$.
- **E:** The integer value of the exponent.
- **Value:**The numeric value represented.

Note: you need not fill in entries marked with "—".

Description	Binary	M	E	Value
Minus zero				-0.0
—	0 100 0101			
Smallest denormalized (negative)				
Largest normalized (positive)				
One				1.0
—				5.5
Positive infinity		—	—	$+\infty$

Problem 4. (8 points):

Consider the source code below, where M and N are constants declared with `#define`.

```
int array1[M][N];
int array2[N][M];

int copy(int i, int j)
{
    array1[i][j] = array2[j][i];
}
```

Suppose the above code generates the following assembly code:

```
copy:
    pushl %ebp
    movl %esp,%ebp
    pushl %ebx
    movl 8(%ebp),%ecx
    movl 12(%ebp),%ebx
    leal (%ecx,%ecx,8),%edx
    sall $2,%edx
    movl %ebx,%eax
    sall $4,%eax
    subl %ebx,%eax
    sall $2,%eax
    movl array2(%eax,%ecx,4),%eax
    movl %eax,array1(%edx,%ebx,4)
    popl %ebx
    movl %ebp,%esp
    popl %ebp
    ret
```

What are the values of M and N?

M =

N =

Problem 5. (3 points):

Consider the following C functions and assembly code:

```
int fun1(int a, int b)
{
    if (a < b)
        return a;
    else
        return b;
}

int fun2(int a, int b)
{
    if (b < a)
        return b;
    else
        return a;
}

int fun3(int a, int b)
{
    unsigned ua = (unsigned) a;
    if (ua < b)
        return b;
    else
        return ua;
}
```

```

                                pushl %ebp
                                movl %esp,%ebp
                                movl 8(%ebp),%edx
                                movl 12(%ebp),%eax
                                cmpl %eax,%edx
                                jge .L9
                                movl %edx,%eax
.L9:
                                movl %ebp,%esp
                                popl %ebp
                                ret
```

Which of the functions compiled into the assembly code shown?

This next problem will test your understanding of stack frames. It is based on the following recursive C function:

```
int silly(int n, int *p)
{
    int val, val2;

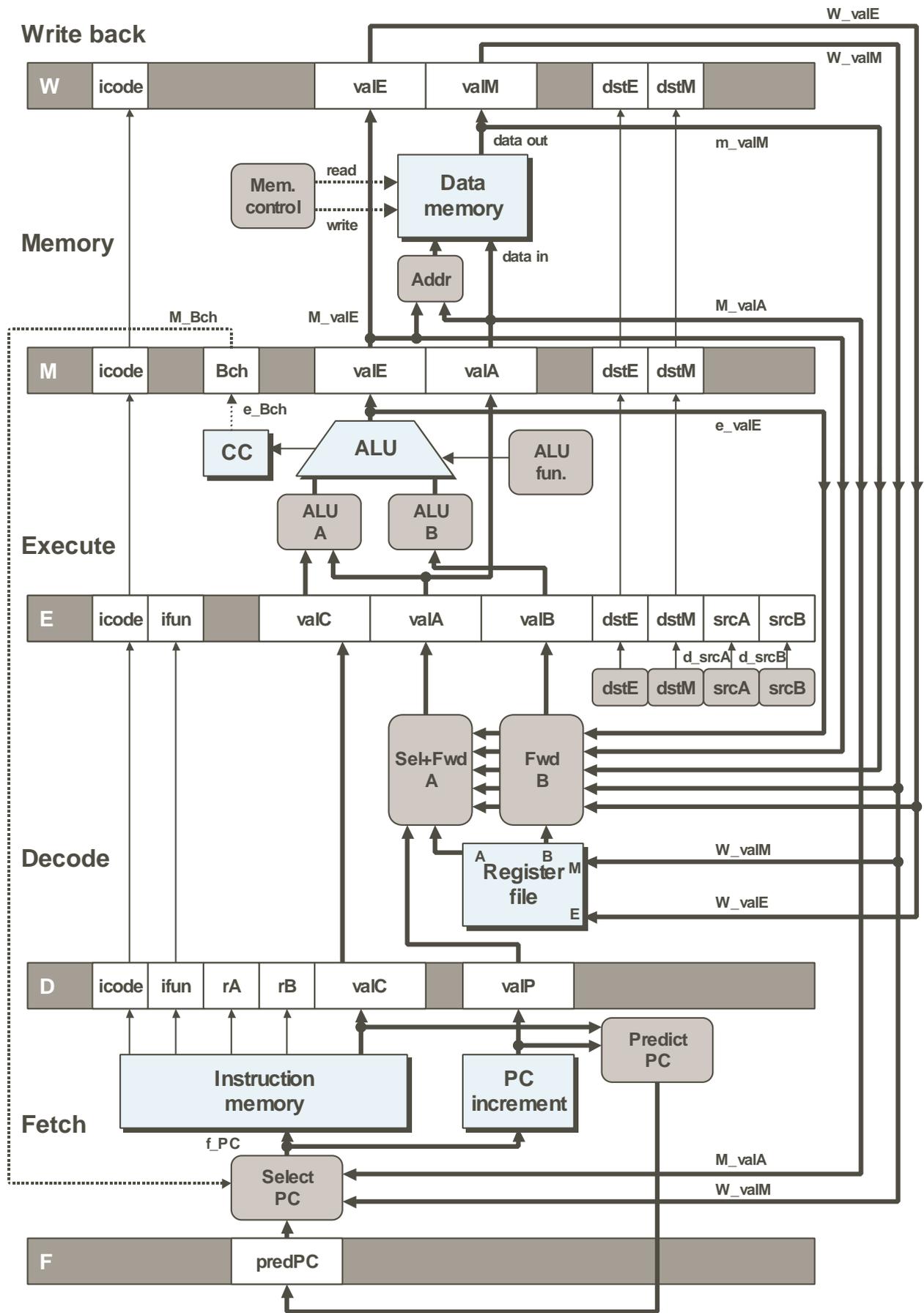
    if (n > 0)
        val2 = silly(n << 1, &val);
    else
        val = val2 = 0;

    *p = val + val2 + n;

    return val + val2;
}
```

This yields the following machine code:

```
silly:
    pushl %ebp
    movl %esp,%ebp
    subl $20,%esp
    pushl %ebx
    movl 8(%ebp),%ebx
    testl %ebx,%ebx
    jle .L3
    addl $-8,%esp
    leal -4(%ebp),%eax
    pushl %eax
    leal (%ebx,%ebx),%eax
    pushl %eax
    call silly
    jmp .L4
    .p2align 4,,7
.L3:
    xorl %eax,%eax
    movl %eax,-4(%ebp)
.L4:
    movl -4(%ebp),%edx
    addl %eax,%edx
    movl 12(%ebp),%eax
    addl %edx,%ebx
    movl %ebx,(%eax)
    movl -24(%ebp),%ebx
    movl %edx,%eax
    movl %ebp,%esp
    popl %ebp
    ret
```

Problem 7. (13 points):

Modern pipelined machines often have conditionally executed instructions. We want to modify y86 to have the following conditional register to register move instructions: `rrmovl`, `rrmovlle`, `rrmovll`, `rrmovle`, `rrmovlne`, `rrmovlge` and `rrmovlg` that move data from regA to regB on condition respectively: always (the old `rrmovl`), less or equal, less, equal, not equal, greater or equal and greater.

Example of their use is replacing

```
    andl    %eax, %eax
    jle    LL2
    rrmovl %ebx, %edx
```

LL2:

with

```
    andl    %eax, %eax
    rrmovlg %ebx, %edx
```

LL2:

- A. In the example above, how many cycles would we gain on our SEQ implementation of Y86 if $\%eax \leq 0$? If $\%eax > 0$? Why?

- B. How many cycles would we gain on our PIPE implementation of Y86 if $\%eax \leq 0$? If $\%eax > 0$? Why?

- C. How would you implement these new instructions in PIPE. Draw on the picture of PIPE and describe in words.

- D. There may be a data hazard with these new instructions in our PIPE implementation. What is the problem? What can you do about it. Draw on the picture of PIPE and describe in words.