

# Transformers #1: Introduction to Transformer RPL CV/DL reading group

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# Transformers theme: schudule

- 23 Feb (today) (Sebastian): Introduction to the Transformer model
- 9 Mar (Federico): Transformer models for Image
- (tentative) 23 Mar (Yonk): Transformer models in different applications/domains
- (tentative) 6 Apr (Sofia): Alternative approaches to Transformer



# Agenda

1. Taxonomy: attention, self-attention, Transformer?

- Why attention?
- Why Transformer?
- Discussion!
- 2. Transformer
  - Transformer vs. RNN; Transformer in general
  - Some specifics for text
  - Discussion!
- 3. Some details about the Transformer & results
- 4. Discussion!



# Taxonomy



## Attention! - definition

#### "Attention is a technique that mimics cognitive attention" (Wikipedia)

"(Your) Attention is (our) profit" (Instagram)  $\triangle$  Offical sources might deny it.

"The ability to focus on one thing and ignore others" (Alex Graves, 2020) - I might have taken it out of context :/

"Looking at some places more than at others" (Bujwid, 2021)



Why attention (in neural networks)?



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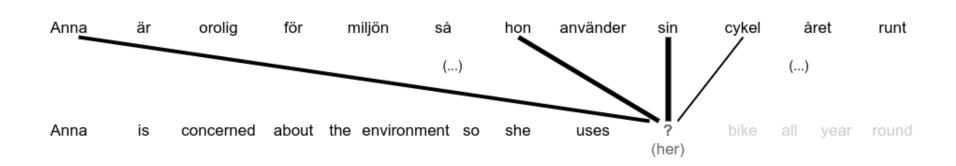




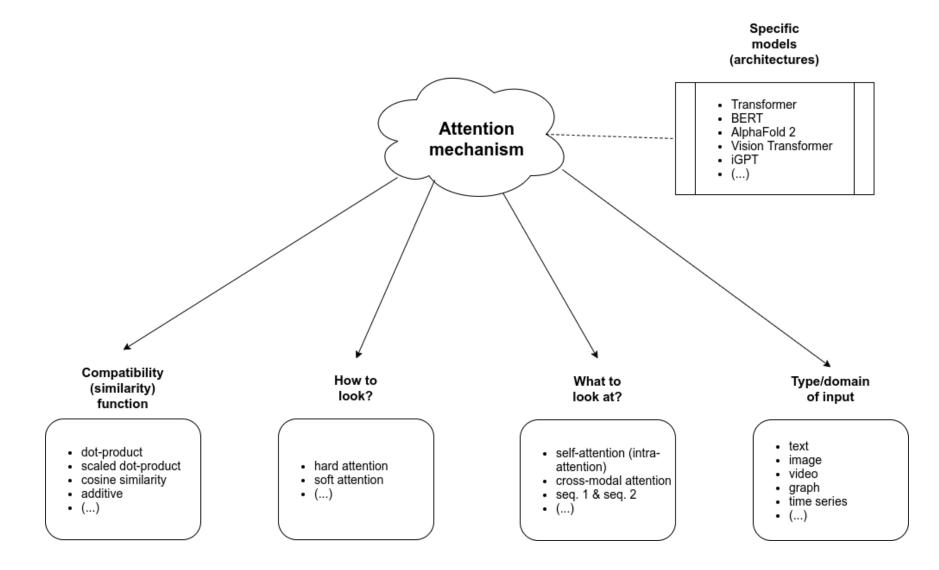
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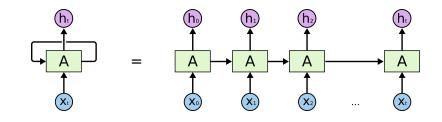


## Why Transformer [1]?

Let's look at the issues with RNNs first!

Issue #1: Computational efficiency

This structure is not efficient on GPUs!



(Image from: http://colah.github.io/)

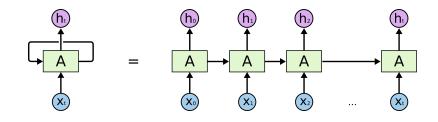


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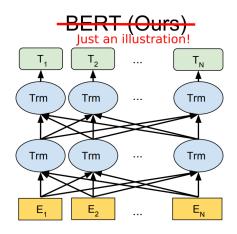
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Solution #1: An architecture without sequential operations



[1] Vaswani et al., "Attention Is All You Need," NeurIPS 2017





### *sv:* Viskleken | *eng:* Telephone (game)





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Our unpublished results:



### *sv:* Viskleken | *eng:* Telephone (game)



Our unpublished results:

Doesn't work if too many kids. (Sebastian, 199...)

Solution #2: Always look at the whole sequence (or rather sub-sequence)



# Transformer



- T the number of tokens/elements  $Q \in \mathbb{R}^{T imes d}$  - queries
- $K \in \mathbb{R}^{T imes d}$  keys  $V \in \mathbb{R}^{T imes d_v}$  values



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**Self-attention** when all Q, K, and V are a function of the same input sequence X.

• 
$$Q=f_q(X)$$
,  $K=f_k(X)$ ,  $V=f_v(X)$ 

• Typically all linear functions

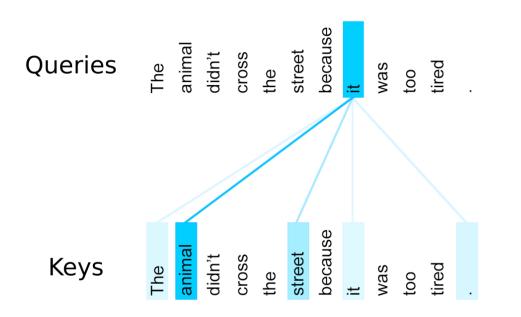


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For each token (query!) compute the "compatibility" with other tokens (keys!):

$$rac{QK^T}{\sqrt{d}} \qquad \left[\mathbb{R}^{T imes T}
ight]$$

- Or any other  $f(Q,K) o \mathbb{R}^{T imes T}$ 

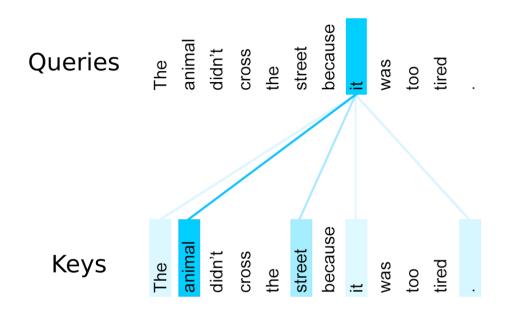




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Normalize the "compatibility" for each query

$$\operatorname{softmax}\left(rac{QK^T}{\sqrt{d}}
ight)$$

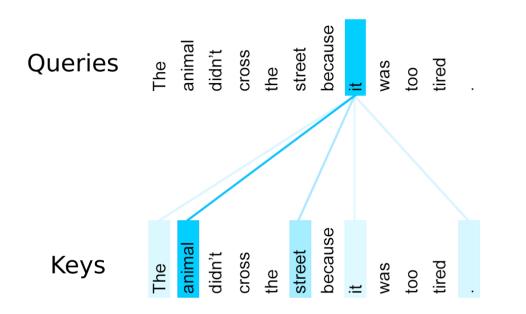




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Compute new values:

$$\operatorname{attention}(Q,K,V) = \operatorname{softmax}\left(rac{QK^T}{\sqrt{d}}
ight)V$$





## Transformer: architecture

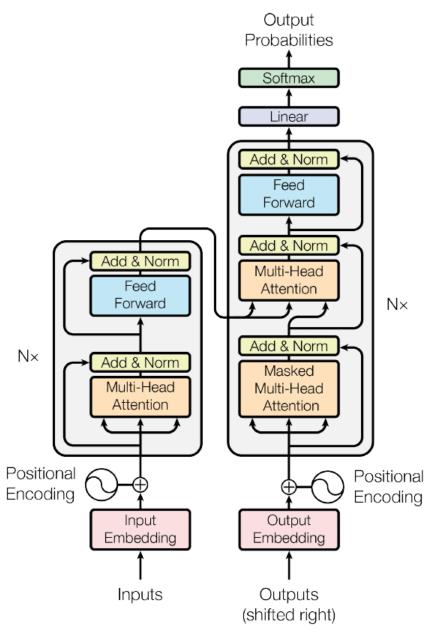


Figure 1: The Transformer - model architecture.



#### Complexity

Table 1: Maximum path lengths, per-layer complexity and minimum number of sequential operations for different layer types. n is the sequence length, d is the representation dimension, k is the kernel size of convolutions and r the size of the neighborhood in restricted self-attention.

Layer Type	Complexity per Layer	Sequential Operations	Maximum Path Length
Self-Attention	$O(n^2 \cdot d)$	O(1)	O(1)
Recurrent	$O(n \cdot d^2)$	O(n)	O(n)
Convolutional	$O(\vec{k}\cdot n\cdot \vec{d}^2)$	O(1)	$O(log_k(n))$
Self-Attention (restricted)	$O(r \cdot n \cdot d)$	O(1)	O(n/r)



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Interpretability?



Model	BLEU		Training Cost (FLOPs)	
Model	EN-DE	EN-FR	EN-DE	EN-FR
ByteNet 18	23.75			
Deep-Att + PosUnk [39]		39.2		$1.0\cdot10^{20}$
GNMT + RL 38	24.6	39.92	$2.3\cdot10^{19}$	$1.4\cdot10^{20}$
ConvS2S 9	25.16	40.46	$9.6\cdot10^{18}$	$1.5\cdot10^{20}$
MoE 32	26.03	40.56	$2.0\cdot10^{19}$	$1.2\cdot 10^{20}$
Deep-Att + PosUnk Ensemble 39		40.4		$8.0 \cdot 10^{20}$
GNMT + RL Ensemble 38	26.30	41.16	$1.8\cdot10^{20}$	$1.1\cdot 10^{21}$
ConvS2S Ensemble 9	26.36	41.29	$7.7\cdot 10^{19}$	$1.2\cdot 10^{21}$
Transformer (base model)	27.3	38.1	$3.3 \cdot 10^{18}$	
Transformer (big)	28.4	41.8	$2.3 \cdot 10^{19}$	

Table 2: The Transformer achieves better BLEU scores than previous state-of-the-art models on the English-to-German and English-to-French newstest2014 tests at a fraction of the training cost.



Thank you! Discussion!